Smart Monitoring – Data structure and Optimal Experimental Design (OED) methods for (geo)physical data acquisition

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Data structure – Overview and recap

- Model parameters are stored as YAML files
- Input: literature and field data from benchmark scenarios
- Referenced parameters can be utilized in process models and inversions
- Advantage: simple, easily accessible storage of important model parameters





Data structure – YAML-files







Data structure – YAML-files



MidJurassic_Opalinus_default.yml











3 MidJurassic_Opalinus_MontTerri.yml

- HydraulicConductivity_MontTerri
 - ElectrResistivity_MontTerri

SITE SPECIFIC VALUES



Data structure – YAML-files





3 MidJurassic_Opalinus_MontTerri.yml

- Density_default
- Porosity_default
- HydraulicConductivity_MontTerri
- HeatCapacity_default
- ElectrResistivity_MontTerri

COMBINED VALUES



- Model parameters can be used as input for any kind of simulation / model
- End Goal: Library for simulationrelevant model parameters that cover all benchmark scenarios of possible repository sites.





Data structure – Integrating YAML DB into our workflow





Data structure – Integrating YAML DB into our workflow

- **2D advective-diffusive** transport simulation in a simple geometry
- Input parameters for simulation: Porosity,
 Hydraulic conductivity
- Values are imported from YAML-files that are stored in the YAML-DB
- Parameter **uncertainties** can be included by importing **deviation value** from YAML file





- Data processing can compensate for missing or inadequate data only to a certain extent
- Survey optimization aims at optimizing the information content of (geo)physical data sets while also limiting acquisition expenses (time and equipment)

How can we reach the cost-benefit optimum?



Adapted from Maurer, 2010



"Compare-R" method (Wilkinson et al., 2015):

• Uses **resolution matrix** of linearized Gauss-Newton solution for ERT problem; defined as:

 $R = (G^T G + C)^{-1} G^T G$

- Iterative optimization starts from a set of base measurements -> calculation of change in resolution matrix for each possible new measurement
- All additional measurements are **ranked according to improvement** of resolution matrix:

$$F_{CR} = \frac{1}{m} \sum_{j=1}^{m} \frac{w_{t,j} \,\Delta R_{b,j}}{R_{c,j}}$$

• Depending on chosen step size, **n measurements** with greatest benefit **are added to base set**



10

- Algorithm aims at giving "**extra resolution**" to regions that are influenced by transport process
- Underlying transport simulation is taken for creation of **focusing mask** at each time step
- If the simulated fluid concentration in a model cell is above a set threshold, it is considered "relevant".





Optimal Experimental Design – Incorporating uncertainties

- OED algorithm allows for **incorporation of uncertainties,** e.g., for hydraulic conductivity
- Multiple simulation runs for different K values in defined range
- Value of the cell inside the mask reflects
 probability of concentration > threshold for
 simulation runs with variable K
- Incorporated in weighting factor of ranking function of OED







- "Petrophysical link" via Archie (1943) allows for estimation of electrical resistivities for a given fluid concentration
- Necessary for **geophysical** forward modelling and inversion





- Two geophysical surveys presented:
- Optimized dataset using 25 electrodes and 950 measurement points
- 2. Standard Dipole-Dipole configuration using50 electrodes and > 1100 measurements

• More electrodes -> more costs





- Created probability mask is used in OED algorithm: gives extra resolution to masked area with significant fluid concentrations
- Allows focusing of measurements to relevant areas of model domain
- -> We aim at optimizing the information content
 of (geo)physical data sets while also limiting
 acquisition expenses (time and equipment)





Data management:

- Continue with literature research and **fill YAML-DB**
- Unify existing YAML files and datasets and integrate them into our workflows

Optimal Experimental Design:

- Implement data-driven OED and compare to model-driven approach (idea of hybrid OED algorithm?)
- Adapt OED to other (geo)physical parameters and optimize datasets for joint inversions



Thanks for your attention!

LITERATURE:

ARCHIE, G. E. (1942). The electrical resistivity log as an aid in determining some reservoir characteristics. *Transactions of the AIME, 146(01), 54-62.* MAURER, H., CURTIS, A., & BOERNER, D. E. (2010). Recent advances in optimized geophysical survey design. *Geophysics, 75(5), 177-194.* https://doi.org/10.1190/1.3484194

WILKINSON, P. B., UHLEMANN, S., MELDRUM, P. I., CHAMBERS, J. E., CARRIÈRE, S., OXBY, L. S., & LOKE, M. H. (2015). Adaptive time-lapse optimized survey design for electrical resistivity tomography monitoring. *Geophysical Journal International, 203(1), 755–766*. https://doi.org/10.1093/gji/ggv329



Data driven active OED:

Makes use of **the acquired data** at a certain time **to focus** the survey on the region of the model where changes occur.

Model driven active OED:

Utilizes an **underlying transport simulation** to focus the measurements on the region of the model that shows **transport-induced changes**.



Compare-R" method (Wilkinson et al., 2015):

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$$R = (G^T G + C)^{-1} G^T G$$

 Iterative optimization starts from a set of base measurements -> calculation of change in resolution matrix for each possible new measurement:

$$\Delta R_b = \frac{z}{1 + (g * z)} (g^T - y^T) \qquad \text{where} \quad z = (G_b^T g_b + C)^{-1} g, \qquad y = (G_b^T G_b) z$$

• All additional measurements are **ranked according to improvement** of resolution matrix:

$$F_{CR} = \frac{1}{m} \sum_{j=1}^{m} \frac{w_{t,j} \,\Delta R_{b,j}}{R_{c,j}}$$

• Depending on chosen step size, **n measurements** with greatest benefit **are added to base set**



19